

### The Big Question

- How Can We Tackle **Complex Reasoning** Across Text and Hybrid Sources?
- Can **In-Context Learning** Unlock the Power of Large Language Models?
- What's the Secret to Boosting ICL Performance? The **Right Exemplars!**

### Prompting Ingredients for ICL

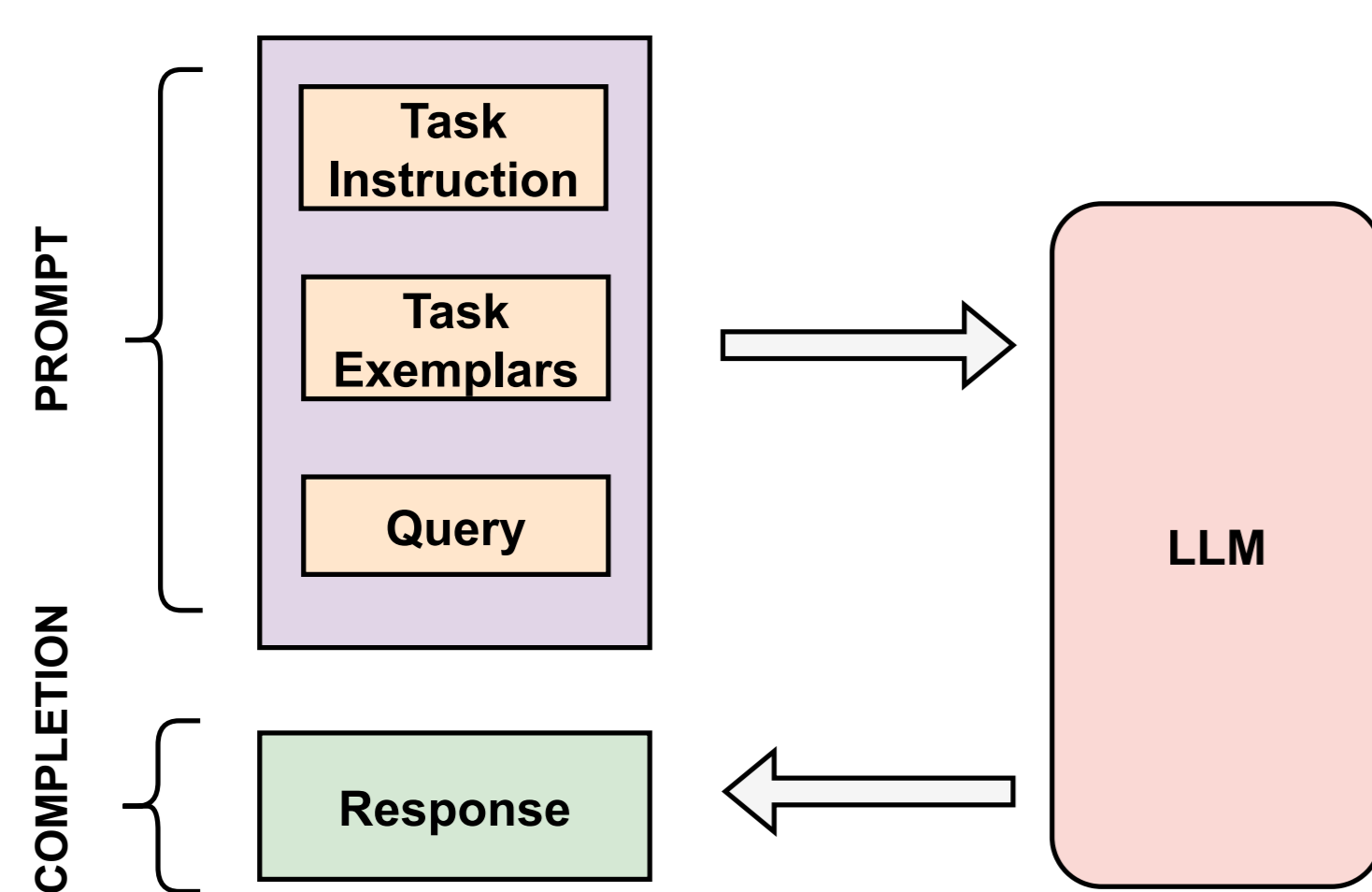


Figure 1: Block Diagram of ICL

### LLM Calls and Runtime Comparison

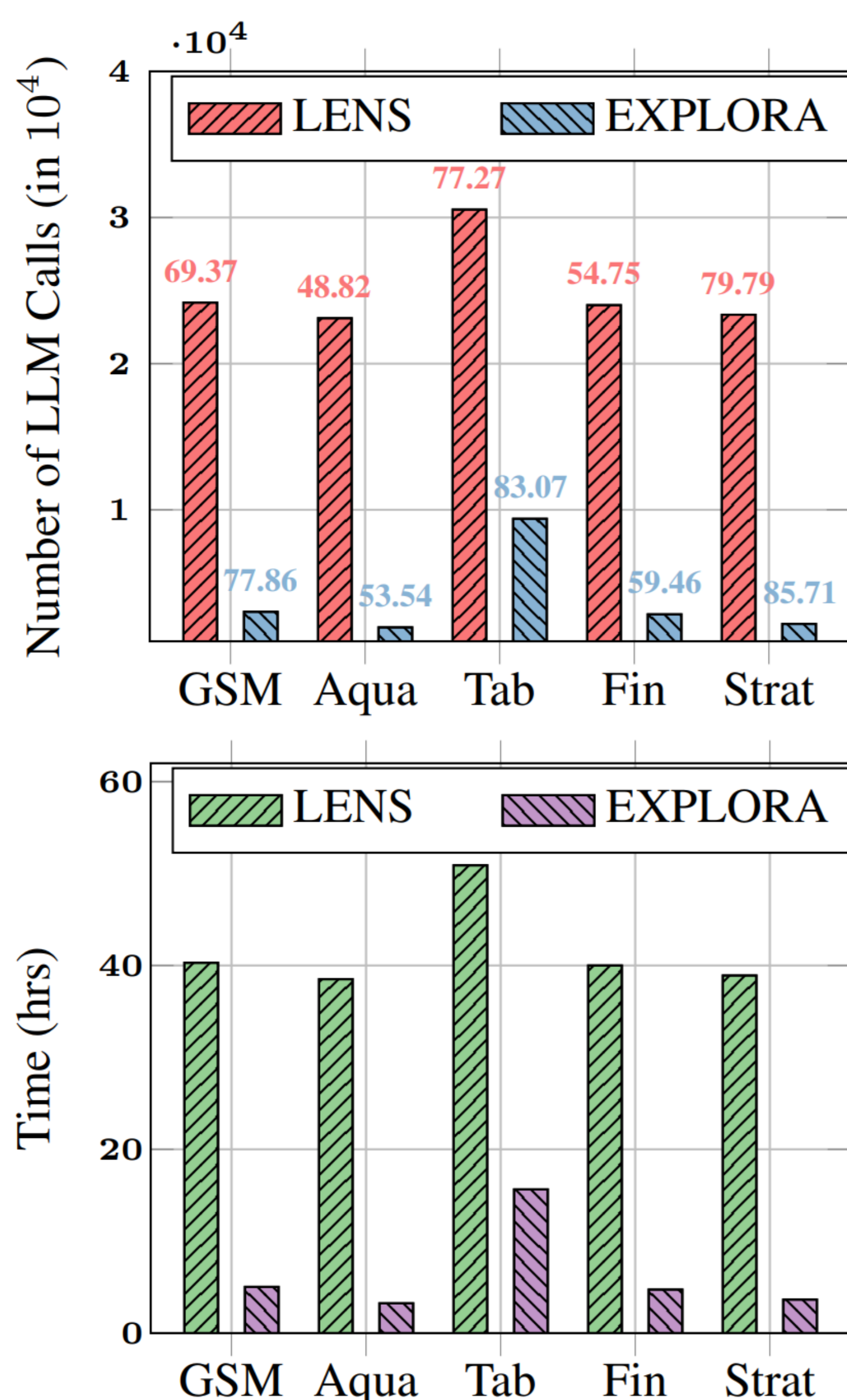


Figure 4: (Top) **LLM calls** LENS vs EXPLORA (y-axis) with corresponding EM scores indicated on top of bars. (Bottom) **Runtime** comparison LENS vs EXPLORA.

### Key Contributions

- ✓ Proposed a novel top- $l$  exemplar-subset selection approach, using a scoring function  $\sigma(\alpha, \cdot)$ .
- ✓ Introduced a novel sampling-based bandit algo for efficiently learning the parameters of  $\sigma$ .

### For Further Information

<https://github.com/kiranpurohit/EXPLORA>



Website

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### PROMPT TEMPLATE

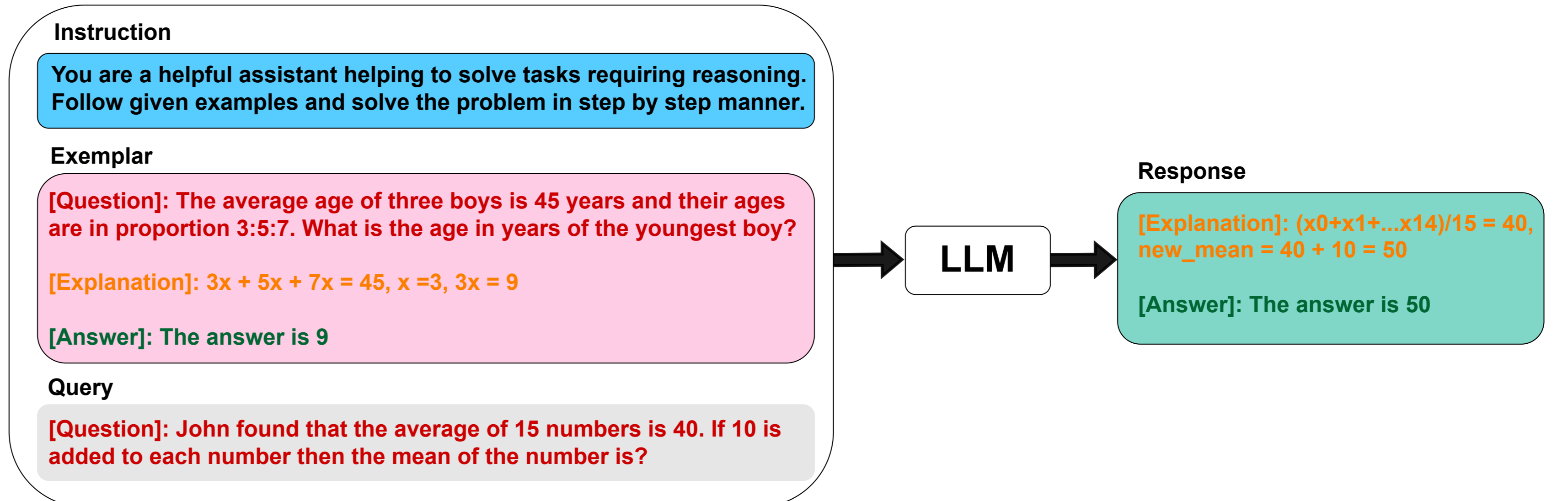


Figure 2: LLM is provided with a prompt that includes <Question-Explanation-Answer> triplet referred to as exemplars.

### EXPLORA: Our Approach

Static exemplar subset selection method for black-box language models without access to its parameters.

- ① **Scoring Function** ( $\sigma$ ): Linear function for approximating validation loss based on similarity features between exemplars and validation examples.

$$\sigma(\vec{\alpha}, S) = \frac{1}{m} \sum_{j=1}^m \sum_{i=1}^n \alpha_i \mathbb{1}(x_i \in S) E_{ij} \quad (1)$$

- ② **Sampling-Based Bandit Algorithm:** Efficiently learns parameters ( $\alpha$ ) of  $\sigma$  to identify top- $l$  exemplar subsets.  $\alpha$  is computed by minimizing the following loss function:

$$\mathcal{L}(\vec{\alpha}; U_t, V_t) = \sum_{S \in U_t} (L(S, \mathcal{V}) - \sigma(\vec{\alpha}, S))^2 + \sum_{S' \sim V_t} (L(S', \mathcal{V}) - \sigma(\vec{\alpha}, S'))^2 \quad (2)$$

### Exemplars

- $p_1$ : While purchasing groceries ram bought **5 apples** ...
- $p_2$ : Ephraim has **two machines** that make necklaces ...

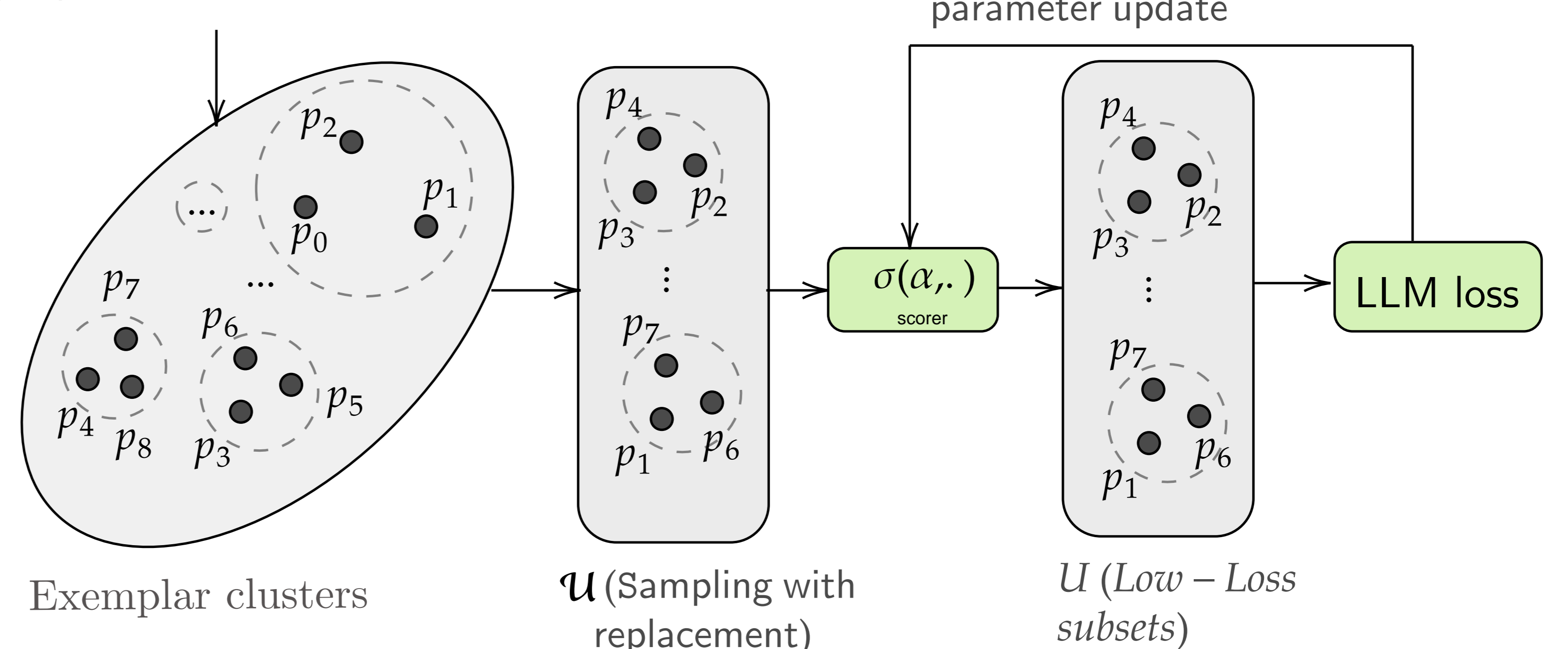


Figure 3: **Overview of EXPLORA:** In each round, parameters of scoring function  $\sigma(\alpha, \cdot)$  are computed by minimizing the loss function (2).  $\sigma$  guides the selection of the subset from  $U \setminus U$  with the lowest loss, which is then used to update  $U$ . This iterative updating process ensures  $U$  maintains low-loss subsets, leading to a more accurate estimation of  $\alpha$  in subsequent rounds.

### Performance Comparison

Method	GSM8K	AquaRat	TabMWP	FinQA	StrategyQA
<b>dynamic</b>					
KNN	53.45	51.96	77.07	51.52	81.83
MMR	54.36	51.18	77.32	49.87	82.86
<b>static</b>					
Manual Few-Shot COT	73.46	44.88	71.22	52.22	73.06
GraphCut	66.19	47.24	60.45	52.31	80.00
FacilityLocation	68.61	48.43	67.66	36.79	81.63
LENS	69.37	48.82	77.27	54.75	79.79
<b>EXPLORA</b>	<b>77.86</b>	<b>53.54</b>	<b>83.07</b>	<b>59.46</b>	<b>85.71</b>

Table 1: Results across datasets in transfer setting using gpt-3.5-turbo with exemplars selected from Mistral-7b.

### Key Findings

- EXPLORA outperforms both static and dynamic exemplar selection methods.
- Exemplars selected using smaller LLMs transfer well to larger LLMs.
- Significantly reduces LLM calls to  $\sim 11\%$  of LENS and also reduces running time.
- Achieves substantial performance improvement of 12.24% to LENS